

Ph llis Franklin John D'Arms

Robert M. Solo Francis Oakle Calvin C. Jones

AMERICAN ACADEMY OF ARTES SCAPNERS



$\mathbf{x} = \mathbf{x} + \mathbf{x} +$

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 $[\bullet,\bullet,\bullet] \circ [\circ,\bullet] \circ [\circ,\bullet] \bullet [\bullet,\bullet] \circ [\circ,\bullet] \circ [\circ$ διι , ι, ι, ι, Αγχοι, ονχος γουρουλογια, ansosiae · Ale · E · · · J Ble · J , Ble · · · · $[\mathbf{1}_{\mathbf{x}},\mathbf{1}_{\mathbf{x}},\mathbf{1}_{\mathbf{x}}] = [\mathbf{1}_{\mathbf{x}},\mathbf{1}_{\mathbf{x}}] = [\mathbf{1}_{\mathbf{x}},\mathbf{1$ A 1 ... ; A .] I. ... , A . . , He .. . Ann 1 ... ; G . $\bullet_{\infty} \in [\mathbf{K}_{\mathbf{0}} \bullet]_{\mathcal{A}} \in [\mathbf{K}_{\mathbf{0}$ $\mathbf{A}_{\mathbf{x}}^{\mathbf{x}} \left[\mathbf{y} \in \mathbf{H}_{\mathbf{x}}^{\mathbf{x}} \right] \left\{ \mathbf{x} \in \mathbf{Y}^{\mathbf{x}} \left\{ \mathbf{D}_{\mathbf{x}}^{\mathbf{x}} \in \mathbf{D}_{\mathbf{x}}^{\mathbf{x}} \right\} = \left[\mathbf{y} \in \mathbf{Y}^{\mathbf{x}} \left\{ \mathbf{D}_{\mathbf{x}}^{\mathbf{x}} \in \mathbf{Y}^{\mathbf{x}} \right\} \right] \left\{ \mathbf{y} \in \mathbf{Y}^{\mathbf{x}} \left\{ \mathbf{y} \in \mathbf{Y}^{\mathbf{x}} \right\} \right\}$ $[\mathbf{I}_{\mathbf{x}}, \mathbf{I}_{\mathbf{x}}] = [\mathbf{I}_{\mathbf{x}}, \mathbf{I}_{\mathbf{x}}, \mathbf{I}_{\mathbf{x}}] = [\mathbf{I}_{\mathbf{x}}, \mathbf{I}_{\mathbf{x}}] = [$ جه ، ه H ، , , وه ; D ، , وه ، ه و , Aa m ، , وه . ه م ه ، م و مه ا ه $\{$ $\{$ $\{$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$, $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$, $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$ $\},$ $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $\{$, $[\mathbf{u}_{\mathbf{u}}]_{\mathbf{u}} = [\mathbf{u}_{\mathbf{v}}, \mathbf{u}_{\mathbf{u}}]_{\mathbf{u}}, C_{\mathbf{u}} \in \mathbf{u}_{\mathbf{v}}, \mathbf{u}_{\mathbf{v}} \in \mathbf{H}$ L.

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ROBERT M. SOLOW

 $\left[\begin{array}{c} \bullet & \bullet \end{array} \right] \mathbf{x} \quad \left[\begin{array}{c} \bullet \\ \bullet \end{array} \right] \mathbf{x} \quad \left[\begin{array}{c} \bullet \\ \bullet \end{array} \right] \mathbf{x} \quad \left[\begin{array}{c} \bullet \\ \bullet \end{array} \right] \mathbf{x} \quad \left[\begin{array}{c} \bullet \\ \bullet \end{array} \right] \mathbf{x} \quad \left[\begin{array}{c} \bullet \\ \bullet \end{array} \right] \mathbf{x} \\ \mathbf{x} \quad \mathbf{x} \quad \mathbf{x} \\ \mathbf{x}$] [* 6 * 6 *] * * * 4 6 * 2 * *] * * * *] * * *] * * *] * * * * *] * * * * * ાં ા ચ્યુ રુ ગ્યુ રૂ ગ ગ ર] ગ ્યુ ગ ન ચ ચ] પ્રાય ગ ર ચ્યુ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર ચ ગ ર $\bullet]_{\mathbf{6}} \cdot = \{\bullet\}_{X_{1}} \bullet \bullet \bullet \cdot]_{\mathbf{6}} = \bullet \bullet \bullet \bullet]_{\mathcal{C}} = \bullet_{\mathcal{C}} \bullet = \bullet_{X_{2}} \bullet \bullet \bullet_{\mathcal{A}}]_{\mathbf{6}} = \bullet [\bullet \circ \bullet \bullet_{\mathcal{C}}$ * • · { * • ~ ~ ~ ~ ~ ~] ~ • • • { •] ~ • • • ~ ~] ~ • * • · • ~ • ~ • ~] •] • • • ~ · • ~] •] • • • ~ • <u>} a</u> $\cdot \{\mathbf{0}\} \circ \mathbf{0} = \mathbf{0} \circ \mathbf{1} \circ \mathbf{1$ $[r_1 \mathcal{U}_{\mathcal{A}}, r/\mathcal{A}_{\mathcal{A}}] = [r_1 \mathcal{A}_{\mathcal{A}}, r_2 \mathcal{A}_{\mathcal{A}}] = [r_1 \mathcal{O}_{\mathcal{A}}, r_2 \mathcal{A}_{\mathcal{A}}, r_1 \mathcal{A}_{\mathcal{A}}, r_2 \mathcal{A}_{\mathcal{A}}, r_1 \mathcal{A}_{\mathcal{A}}, r_2 \mathcal{A}_{\mathcal{A}}, r_1 \mathcal{A}, r$ •°·]°] x•° 27 x ••• ••°)°° • v•¥ 2•• • 2×20• 22×0• 4] [* 32" = 34 = 2" * 4 + 1" *] * • 4] * • C* 2" * * * •] * • • • * * •] * ₹ 10] 221 10 ° 1 − 10 ° 10] 28 4 ~ 5 °] 27 4 10 + 10 + 2 − 1 − 4 ~ 6 1 2 2 4 ~ 6 ₹6 ₹40 - 27] ° 27, 20 · − 1 2 - 21 - 66 30] • 1⁷ ° 40 ₹ 200] 28 ° 30 - 21 1 -*·> * = * *1 * · * *] # 55*6*] # - * *100 · ~ *1 *1 * 50 *3

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] 🙀 Fa 👎 1998);] •] 📲 • a a ुr . G 📖 C. a . e . 🦉 . 🥵 $A_{i} = A_{i} = A_{i$ $\mathbf{1}_{\mathbf{x}_{0}} \in [\mathbf{1}, \mathbf{1}] \in [\mathbf{0}, \mathbf{1}] \in [\mathbf{0}, \mathbf{1}] \in [\mathbf{0}, \mathbf{1}] \in [\mathbf{1}, \mathbf{1}] \in [$ • \\$ * \$] \\$ \\$ \\$ \$ 0] • 1 \\$ \\$ \\$ 1 \\$ 0] • 1 \\$ \$ 0] \\$ 1 \\$ 0] \\$ 0 \\$ $\mathbf{1}_{\mathbf{1}_{\mathbf{0}}} \in [\mathbf{0}_{\mathbf{1}_{\mathbf{0}}} \mathbf{1}_{\mathbf{0}}] = [\mathbf{0}_{\mathbf{1}_{\mathbf{0}}} \mathbf{1}_{\mathbf{0}_{\mathbf{0}}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}}} \mathbf{1}_{\mathbf{0}_{\mathbf{0}}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{$ $\mathbf{e}_{\mathbf{1}} \mathbf{e}_{\mathbf{1}} \mathbf{e}_{\mathbf{1}} \mathbf{e}_{\mathbf{1}} \mathbf{e}_{\mathbf{1}} \mathbf{e}_{\mathbf{2}} \mathbf{e}_{\mathbf{1}} \mathbf{e}$ $\sum_{\mathbf{x}} \langle \mathbf{x}^{*} \mathbf{x}^{*} \mathbf{x}^{*} \mathbf{x} \mathbf{x}^{*} \mathbf{x$] •16 •• 25 • •5 •= 20 24 2 • •61•] 02 1] 36] 05 4 1] 1 4 6 4 4 1 6 1 6 6 1 6 4 6 1 6 7 4 6 4 6 7 4 5 7 8 1 6 6 9 1 6

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¹ x 1⁴ •] • x 3⁴ • ¹ 1 6 ⁴ 1 · · · x 3⁴ × • · · x 3⁶ • · · 5" 5 1] 3 3 4 3 · " 5 P 5] 3 · " " 6 3 5 · " 3 5 · 1] 3 4 5 4 5 5 · $\mathbf{A} \bullet \mathbf{y}_{\mathbf{X}} \mathbf{x} \bullet \mathbf{x}_{\mathbf{G}} \mathbf{$ -1 ₀ 1400 1.004]04 ≪06]0 144 ₀χ0,]₀χ4 0]00 1.14-21" 01 0] 0 0 , 1 26 52 1 20 2 24 02 2 1 a 00 25 4 0 100 $10] \chi^{\overline{b}}_{\overline{\mathbf{0}}} \chi^{\underline{a}}_{1} \cdot [0 , \pi]] 0 , 1 , \chi 0] 4 , 1 \cdot 0 1 + \chi 0 0 0 - \chi 0] 1 \cdot \chi^{\underline{a}}_{1} \cdot \chi^{\underline{a}}_{1}$

<u>,,</u>, (), <u>,</u>, (), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), (,), ~10 1 40 4 00 55] · 1 2 1 4 0 1 20 1 ~0 1 3] · · · · 0 6 6 0]6 •] 3200] 00 • 1 3 50 × 50 • 1 3 50 · 1 4 50 • 10 • •] × 2 • 4 • • •] • $[0] = \frac{1}{22} \left[-\frac{1}{22} \left[-\frac{1}{22} + \frac{1}{22} +$..., u...]... G. ... C. H. . E. ... $\mathbf{1}_{1} \mathbf{y}_{\mathbf{0}} = \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_{\mathbf{0}} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_{\mathbf{0}} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_{\mathbf{0}} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_{\mathbf{0}} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_{\mathbf{0}} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{y}_{\mathbf{0}} \\ \mathbf{y}_$ ▶ 1 3 0 3 () 1 3 1 0 0 3 3 1 0 0] w x16 0 1 c d 1 3 3 1] 6 1 3 3] 0 -22"] 7 • 44] • 202 • 6 • 1 0 6 0 • 0 • 0] 7 •] 0 6] • 0 2 4 2 4 1] • 0 1 $[\mathbf{x}_{\mathbf{a}}] = [\mathbf{a}_{\mathbf{a}} \bullet_{\mathbf{a}} \circ_{\mathbf{a}} \bullet_{\mathbf{a}} \bullet_{\mathbf{a}}$ $[\mathbf{e}_{\mathbf{f}}, \mathbf{e}_{\mathbf{f}}, \mathbf{$ 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 $A \quad \mathbf{I}_{\mathbf{x}_{0}} \quad \mathbf{0} \quad$ $1990 \circ \mathsf{C}_{\mathbf{x}}^{\mathbf{x}} \circ \mathsf{C}_{\mathbf{x}}^{\mathbf{x}} \circ \mathsf{I}_{\mathbf{x}}^{\mathbf{x}} \circ$ 6 × 1 × 1 × 1 × 1 × 10] × 1 × 11 × 1 }] * 0 × 0 × 0] 0 × - 0 × 1] × × 1 10^{-1} $[\mathbf{A}]_{\mathbf{V}} [\mathbf{A}]_{\mathbf{V}} [\mathbf{A}]_{\mathbf{V}}$ ن •] ل ب] • • ₂₂ •] • ₂ • (• • • ₂ • ₂ • ₂ •) <u>1</u> • • حوا . A₁] • • با <u>م</u> $\bullet] \ , \ , \bullet \circ \] \ \bullet \ \bullet \ , \ , \bullet \bullet \circ \] \ \circ \ \bullet \ \circ \ \bullet \ , \ x_1 \bullet \circ \] \ \circ \ \bullet \ \circ \ \bullet \ x_1 \bullet \circ \] \ \circ \ \bullet \ \circ \$] =] 22 * 0 * 0] * 0 ~ 0 0 1] 22 2 * 1 1 0 • 10] • 6 * 0 * 8 $\mathbf{1}_{1} \mathbf{0}_{1} \mathbf{0}_{1} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf{1}_{2} \mathbf{0}_{2} \mathbf{1}_{2} \mathbf$ *1,0000<u>6</u>°<u>6</u> % 0 0] ° % * 10] 0 1 <u>* 9%1 %</u> * 6 1 ~ 6] °] % ° ° ~ 6 - 1~ $B_{0} = \left\{ \begin{array}{ccc} & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & &$ $\chi_{2}^{(s)} \rightarrow \left[\chi_{2}^{(s)} - \chi_{2}^{(s)} + \eta_{2}^{(s)} - \chi_{2}^{(s)} + \eta_{2}^{(s)} + \eta_{2}^{(s)} - \eta_{2}^{(s)} + \eta_{2}^{(s)}$ \$ 15' 1 20 05 0 -2 0 0 1-2 1 20 1 -2 1 3 0 1 1 5 2 4 0 1] U] 0 1 6 5 -• • •]] • • •]]· • • • • A •] (• , • , • , •] • A • •] $[-1] \circ H_{1}] \circ [-1] \circ [-1]$ 200 0 0 0 1 00 200 0 m K

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 $A \bullet e_i A_i \bullet A_i \bullet A_i \bullet A_i \bullet e_i \bullet e_$. N 11 IN I . I S PP II , I. Bi \bullet_{χ} , Hi \bullet Bu •, , , , . G.) , (A, • ••]. 1989, • / / · · · 200°1, · · - · , // · // · 30 . 1 3, · · · - a , i - , e , a , i , i , . . , e , . , e , .]• , • ,• , D.C.. $[\mathbf{v}_{1},\mathbf{v}_{1}]_{\mathbf{v}_{1}} \bullet]_{\mathbf{v}_{2}} \bullet \mathbf{G}_{\mathbf{v}_{2}} \bullet \mathbf{E}_{\mathbf{v}_{2}} \bullet \mathbf{E}_{\mathbf{v}_{2}} \bullet \mathbf{G}_{\mathbf{v}_{1}} \bullet \mathbf{E}_{\mathbf{v}_{2}} \bullet \mathbf{G}_{\mathbf{v}_{1}} \bullet \mathbf{E}_{\mathbf{v}_{2}} \bullet \mathbf{G}_{\mathbf{v}_{2}} \bullet \mathbf{E}_{\mathbf{v}_{2}} \bullet \mathbf{E}_{\mathbf{v}_{2}}$,]]] . 13: A52. D.]] •, D. [•] • E] • F. 1998. n.n. , e. R. , , i. i d e. R. I . R population and the second second n , , , , , Bangan, : • E, , , Fag , , , , , , , • Α. F_{1} , H_{1} , H_{1} , D_{1} , H_{1} , D_{1} , H_{1} , H_{2} , D_{1} , H_{2} , H• $C_{\mathbf{1}_{20},\mathbf{1}_{20}}$ $C_{\mathbf{1}_{20}}$ $C_{\mathbf{1}_{20}}$ 42.48 (] 1] · [·] ·). $G_{1} \bullet_{3}, \bullet_{1}, \bullet_{1} \bullet_{2} \bullet_{2} \bullet_{1} A_{3} G_{\bullet} \bullet_{2} \bullet_{1} \bullet_$ E_{a} , e = a, e $G_{1} \otimes G_{1} \otimes G_{1$ $H_{\bullet,\bullet}$, $B_{\bullet,\bullet}$]. 1992. I_{\bullet}], I_{\bullet}], I_{\bullet} C] at I_{\bullet} : $F_{\bullet,\bullet}$, I_{\bullet} ~ι , ι Α. 1990', υ. ι. - - D. . . . Ci, 101. ., 101: 34, 60. , IIO: 40, 48. $= E_{x} + (x + y) = (x + (y + y)) = E_{x} + (y + (y$., 87: 30, 43. ુ• E**્ર** ટ્રા.



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$$\begin{split} & \text{Is} \mathbf{1}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{0}_{\mathbf{0}} \quad \mathbf{1}_{\mathbf{0}} \text{IS} \mathbf{0} \mathbf{0}_{\mathbf{0}} \mathbf{1}_{\mathbf{0}} \mathbf{1}_$$

- 2.] oneh. $\sum_{x=1}^{n} \left[\frac{1}{2} + \frac{1}{2}$

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] °°6 x] x x00 °0 x 1 °°6 • 1 ° 0 °° °°1 x0 8 °700] A 0 7, 700 77, 1 A 0 -] * *** * *] · ** * * * ; * * *_{6 1}*] ₂* * * * * *^{*} * * * * * *] 286 5] 76 27 · • • • • • • • • • •] •] 54 • • • 4 2040 % • • • • • ° • • • • • •] • • • • ² • • ²⁷ • • ²⁷ • • • • • • ²⁷ • • ² • ² • ² • • • •] • ·] •] -ۥ ¥ •ו]•]4 €•@ ∳ •²°² •ו]• €•@ ∲ •²° 27 22€1₄° • $[\mathbf{x} \bullet \mathbf{y} \to \mathbf{x} \bullet \mathbf{y} \bullet \mathbf{h} \bullet$ • _{૨૦} ત_{.24}] ુર્વ. D] ગું ત. મ₄ લ] તમ ત. મ. ગું પ્રુથલ ન્દ્ર મે. ને મન્દ્ર તત્વ. ગું તમારુ – ● ુર્ષ] ન થવે ન રાજ્ય થયે ન રહે થયે રુજી વિજ્ય રુજી ન ગો થયે છે] ન $[\mathbf{0}] \bullet \bullet \mathbf{1} \bullet \mathbf{2} \bullet \mathbf{2} \bullet \mathbf{1} \bullet \mathbf{2} \bullet \mathbf{1} \bullet \mathbf{1$ $\left\{ \mathbf{A}^{\mathbf{0}} \left\{ \begin{array}{c} \mathbf{F} & \mathbf{I}_{\left[\mathbf{0}\right]} \mathbf{A} \cdot \mathbf{E}_{\mathbf{1}}^{\mathbf{1}} \left[\mathbf{0} & \mathbf{I} + \mathbf{0} \right] \mathbf{A}^{\mathbf{0}} \mathbf{A}^{\mathbf{0}} \mathbf{A}^{\mathbf{0}} \right\} \right\} = \left\{ \mathbf{A}^{\mathbf{0}} \left\{ \mathbf{A}^{\mathbf{0}} \cdot \mathbf{E}_{\mathbf{0}}^{\mathbf{0}} \right\} = \left\{ \mathbf{A}^{\mathbf{0}} \cdot \mathbf{A}^{\mathbf{0}} \mathbf{A}^{\mathbf{0}} \right\} = \left\{ \mathbf{A}^{\mathbf{0}} \cdot \mathbf{A}^{\mathbf{0}} \mathbf{A}^{\mathbf{$]] \ 10 ~ 2 ~ ~ 0 ~ 0 ~ 0 ~ 0 ~ 0 ~ 2 ~ 0 ~ 2 ~ 0 ~ 2 ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1] ~ 1]



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OVERVIEW

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THE STATE OF THE ART IN HUMANITIES POLICY RESEARCH

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SECTION 1. PRELIMINARY RESULTS: COMPARING THE HUMAN-ITIES TO THE ARTS AND SCIENCES

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SECTION 2. PROPERTIES OF DATA RESOURCES LISTED IN THE INDEX OF HUMANITIES DATASETS

FUNCTIONAL CLASSIFICATION

EXHIBIT 1: COUNTS OF DATA RESOURCES BY FUNCTIONAL CLASSIFICATION

type of resource	count	
bibliographic materials	35	
directories and catalogs	36	
research datasets	34	
publications and reports	3	
total	108	

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EXHIBIT 4: COUNTS OF DIRECTORY AND CATALOG DATA RESOURCES BY Type

directories and catalogs	count
academic institutions (departments,	20
programs, presses, etc.)	
funding sources	10
humanities organizations (primarily	4
non-academic)	
individual humanities practitioners	2
(philosophers)	
total	36

EXHIBIT 5: DIRECTORIES AND CATALOGS (36)

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EXHIBIT 6: COUNTS OF RESEARCH DATA RESOURCES BY TYPE

RESEARCH DATASETS IN THE INDEX OF HUMANITIES DATASETS

research datasets	count
academic institutions (schools, departments	
and programs)	
libraries and museums	7
samples of postsecondary faculty	5
samples of postsecondary students	7
samples of administrative records of	
postsecondary students	
samples that include postsecondary students	
samples of ph.d. recipients	2
total	34

EXHIBIT 7: SORTED BY TYPE

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G IN GONG LI GER
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1 • • • ] • ] J . • . ] . • • ]
A A, , ] ]] . , .
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A]. . . . . . . .
 1", F<sub>x</sub>], ] I<sub>x</sub>, ] ..., ...
"M., 1, 1, 1, 1 M. M. M. (5)
 A = GC F. . . . . . . . .
 Jost J ' Mar . 1. Hay an and 1. Bay .
A . . . . . . . . . . . .
"M., I., I.I MI, ... (7)
AA A/AG I DI . DI I E I J . .
Booll olola B. ... .. Me sl'Me sl'
Brann Hannal . Me solar.
CG/G E^{1} U. I_{G}G_{I} U. I_{G}G_{I}
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IIE \mathbf{e} + \mathbf{g} + \mathbf{g} + \mathbf{h} + \mathbf{h
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Nr. , here 1

 $\begin{array}{c} \mathbf{M}_{11} \quad \mathbf{M}_{12} \quad \mathbf{M}_{13} \quad \mathbf{M}_{14} \quad$

]] 6 ° 6 · · 0 = 14 300 = 36] · 23 ° 24 ° 24 ° 24] 36 ° 0 •]] 0 9 ° 3 ° 54 = 7° ° 140 6 * * * * (1 * 1 * * U] y ~ 2 (), 0 6 *) 0 * 1 * 1 * 2 * 1 * 0 * 1 y 0 * 1 $x_{4} + x_{4}$]]] a^{aaa} (a^{a} , $b^{a} \neq x_{2} + x_{3}$). $D_{a} = a^{a} + a^{a} + x_{3} + x_{4}$ 1] 1 2 4 4 4 6 1 3] • • 16 16 16 18 1 0] 36 • 3 2 1 4 55 1 0 C] 14 56 3 3 4 5 1 5 $\mathbb{E}_{\mathbf{G}} \circ \mathbb{E}_{\mathbf{G}} \circ$ المان المحرفة (ما المراجع) • ما المراجع التي التي التي التي المن المان المراجع المراجع المراجع الم

81-1.4 (*** ***)) 7 (**) * (** *** *** *** *** **) 1996. 973 (**) . **.) 8 **.) . (*** ***) . (***

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LIBRARY DATASETS

• $\xi] [\mathbf{x}] \mathbf{x}$ $\{\mathbf{v}_{1} \ \mathbf{v}_{2} \ \mathbf{v}_{3} \ \mathbf{v}_{4} \ \mathbf{v}_{5} \ \mathbf{v}_{5} \ \mathbf{v}_{6} \ \mathbf{v}_{7} \ \mathbf{v}_{7$

] 🙀 🗖 🖣 👌 🙀 (AC), ų] a. a. g. 🖬 🛫 ų 5. 5.] a. 1979] + + + 2022 + + + + 1 + 0 + + + + 2002 + . + + 1 + + + + + + + +] 022 + [] o] ~1 10 105] . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . () . 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() $C_{J} = C_{J} = C_{J$, #, /, /, /,] *** * ,] *] * * * ,] ** * * I,064]*]** * * [, 064]*]* $\mathbf{1}_{10}, \mathbf{1}_{0}, \mathbf{1}_{1}, \mathbf{0}, \mathbf{0}_{10}$ $\bullet \bullet \ \underline{x} \bullet \underline{x} \bullet \underline{x} \bullet \underline{x} \bullet \underline{x} \bullet \underline{x} = \underline{x} = \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 & 0 \end{bmatrix} 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MUSEUM DATASETS
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 $= \{ \mathbf{e}^{\mathbf{i}} \mid \mathbf{h}_{\mathbf{x}}^{\mathbf{i}} \circ_{\mathbf{M}} \mathbf{e}^{\mathbf{i}} \cdot \cdot \overset{\mathbf{H}_{\mathbf{i}}}{=} \mathbf{0} \mid \mathbf{0} \mid \mathbf{0} : \mathbf{0} \mid \mathbf{1} \mid \mathbf{1} \cdot \mathbf{0} \cdot \mathbf{1} = \mathbf{0} \cdot \mathbf{0} \circ_{\mathbf{0}} \mathbf{1} \overset{\mathbf{i}}{=} \mathbf{0} \mid \mathbf{$ € {° € x2° Λ] * * *]• * * [• * * *E* x2° * * *]€ ~₹ € * · ¹ x* 2 x4 2 x4 2 *] *]]• Ø ≮2 ₹4]•]•] •] <u>22</u>] <u>26</u> <u>22</u> • • • []] • • • • • • • • • <u>10</u> • <u>2</u> <u>2</u> <u>2</u> <u>2</u> <u>10</u>] • • • • • • •] x] x 6 x] • 1 5 4 9 5 ~ 2] • 1 10 x * • • 5 1 ~ • • 1 *] · • • • 1 5 •], 10 10 0 0 0] 1. Bo], 10 0 1 055 1. 20, 1 0 50] 56 6 1 0 6] 0] 4 € 1 4 1 4 · · · · 1] € ~4 € · f 10 1~ · 4 €] 0] 01 1 1 0 ~4 0 1 € · 010] 0 · 3 0 0 $(1)_{\Sigma\Sigma} \{ \mathbf{x} \in \mathbf{x$ $\mathcal{M}_{\mathcal{A}} \neq \mathcal{M}_{\mathcal{A}} \neq \mathcal{M}_{\mathcal{A}} \neq \mathcal{M}_{\mathcal{A}} \neq \mathcal{M}_{\mathcal{A}} = \mathcal{M}_{\mathcal{A}} =$ $\begin{bmatrix} \mathbf{0} & \mathbf{0} \end{bmatrix} = \begin{bmatrix} \mathbf{1} & \mathbf{0} \end{bmatrix} \begin{bmatrix} \mathbf{0} & \mathbf{1} & \mathbf{0} \end{bmatrix} = \begin{bmatrix} \mathbf{1$ $= \mathbf{I}_{\mathbf{a}} \{ \mathbf{x}_{1}, \mathbf{y}_{1}, \mathbf{H} \in \mathbf{0}, \mathbf{CG} \mid \mathbf{x}_{1} \} \{ \mathbf{y}_{\mathbf{a}} \in \mathbf{y}_{1}, \mathbf{y}_{1}, \mathbf{y}_{1}, \mathbf{y}_{1}, \mathbf{y}_{1}, \mathbf{y}_{1} \}$ • • • • • • • • • • • •

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 $(B\&B) * (A + \{ 0 + 1, 1\} + (A + 1) + (A + 1$

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CONCLUSIONS

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